Name:

Math 123-02 $\quad$ Assignment 5
Summer 2024
Dr. Lily Yen

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Problem 1: Answer each question to two decimal place accuracy when appropriate. If an exact answer is possible expressed as a fraction, you may leave your answer as a fraction.
a. If James draws a single card from a deck of 52 cards, what is $P(X \geq 10)$ ?

b. Suppose a blue cubic die and a green cubic die are rolled, find $P\left(X_{b}+X_{g} \leq 4\right)$.

c. When you flip a fair coin three times, what is the probability of getting only heads?

d. If the chance of winning a Student Union Lottery Jackpot is $0.01 \%$, find the chance of not winning the jackpot.

e. A survey is conducted among students and faculty at Capilano University regarding the use of artificial intelligence for students. If a student is randomly selected, what is the probability that the student is for the use of artificial intelligence for students?


| Capilano University Survey |  |  |  |
| ---: | :---: | :---: | :--- |
|  | For A1 | Against A1 | Total |
| Students | 437 | 111 |  |
| Faculty | 52 | 107 |  |
| Total |  |  |  |

Problem 2: A pot contains 3 red balls and 4 teal balls. Hamlet draws two balls out of the pot without replacement. Draw a probability tree for drawing two balls without replacement. (2 points)
a. Find the probability of getting 2 teal balls.
b. Find the probability of getting no teal balls.

Problem 3: Dad drew a big rectangle representing a sample space containing Event A and Event B. Assume that the outcomes (as dots) were all equally likely, give a fraction for each probability question.

a. $P(\bar{B})$

b. $P(A \cap B)$

c. $P(\bar{A} \cup B)$

d. $P(B \mid A)$

e. Are $A$ and $B$ disjoint?


Problem 4: Assume that $10 \%$ of international visitors arriving at the Vancouver International Airport are sick with ARI (Acute respiratory infections). Suppose a test correctly identifies a visitor sick with ARI $96 \%$ of the time. Also assume that the test falsely identifies a healthy visitor as sick with ARI $9 \%$ of the time. If an international visitor tests positive, what is the probability that the visitor is not sick with ARI?

Draw a probability tree as part of your steps.

